

Deep Imaging Using Sagecal Calibration

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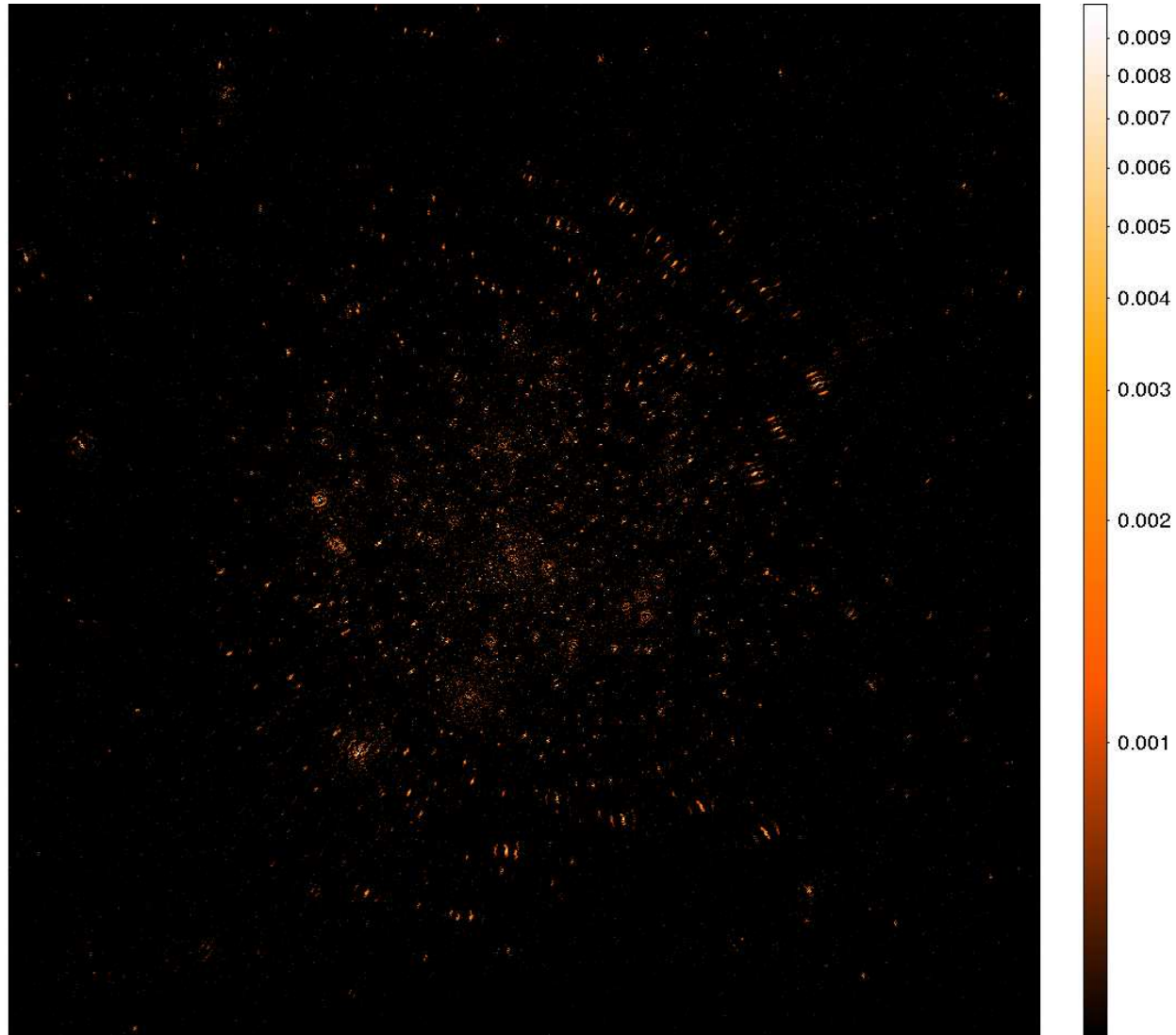
Sagecal

- Theory: [Yatawatta et al., 2009] and [Kazemi et al., 2011].
- The fastest multisource calibration program ($20\times$ to $100\times$ faster than meqtrees or BBS). Linear complexity with no. of directions.
- Very modest memory usage: (1 million data points, 60 000 parameters, < 6 GB RAM).
- Highly parallelized and vectorized. Uses GPU acceleration when available.
- Pure C code with only standard libraries used. Not linked against casacore etc.
- Data I/O done using binary files. Easy conversion to binary format using pyrap.
- Supports all source models: points, Gaussians, disks, rings, (widefield) shapelets (and even prolate spheroidal wave functions in the future).
- Core based on two optimization algorithms: LM [Lourakis] and L-BFGS [Yatawatta].

Sky Model

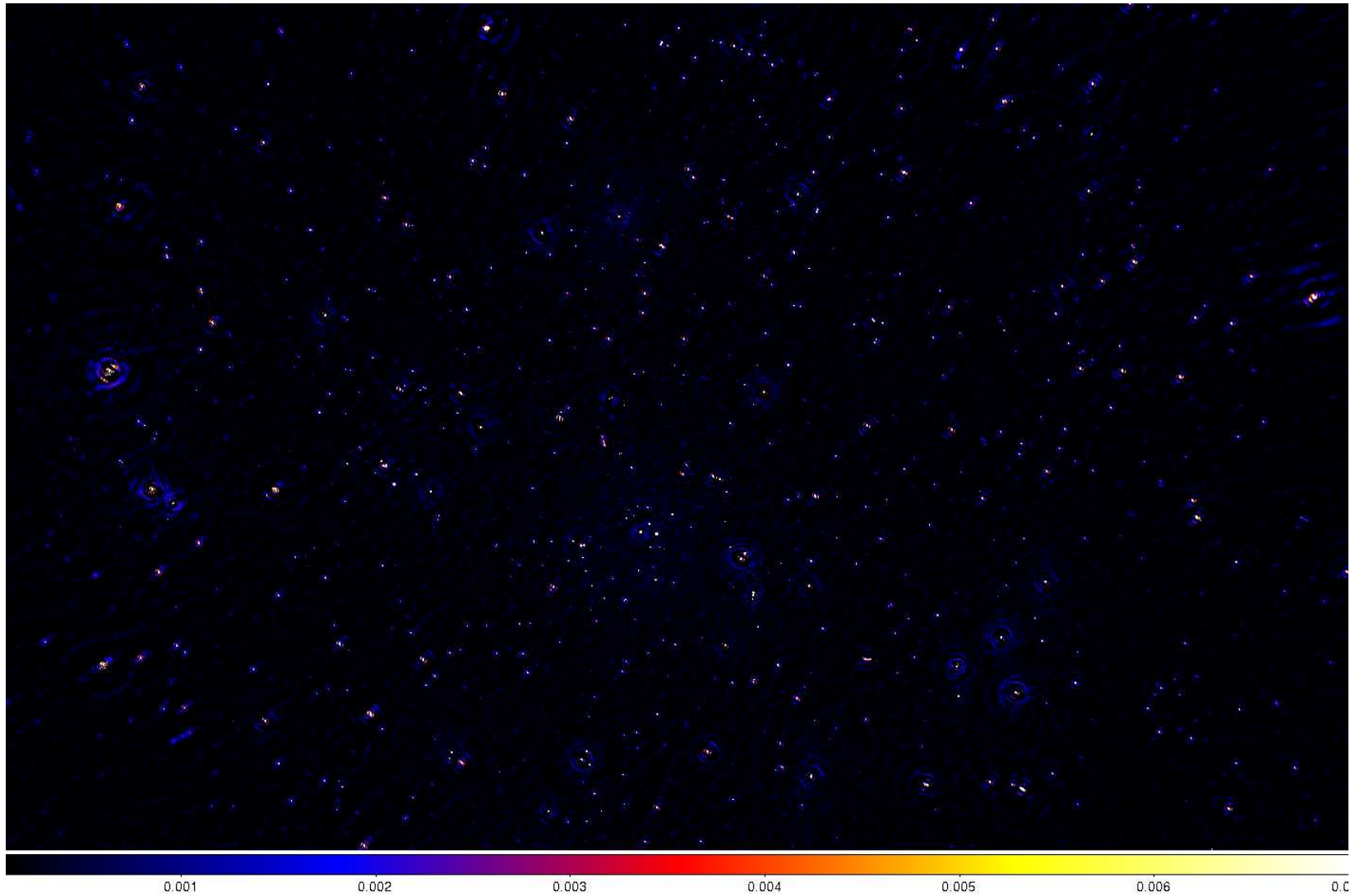
- Input to sagecal is a sky model.
- Given an image, use Duchamp [Whiting] to create a mask.
- Buildsky [Yatawatta] creates the best sky model, with the best number of components, and their spectral indices.
- Can filter out false detections due to PSF sidelobes.
- Also does clustering [Kazemi et al., 2011] of sources for directional calibration.
- Also parallelized, but could (and will) be made faster.
- Sagecal will subtract the given sky model (with solved gains) from the data. Also saves solutions.
- Restore [Yatawatta] will restore the sky model back to the residual image (optionally with correction applied).

NCP Field



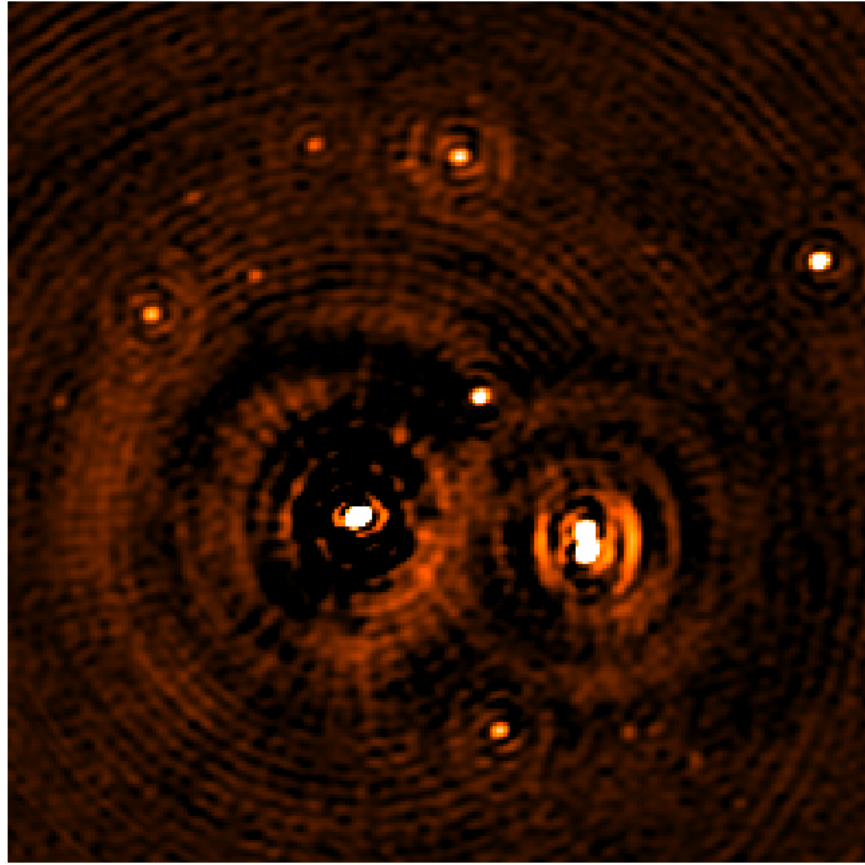
13 × 13 Image, 240 subbands, Peak 5 Jy, Noise 0.2 mJy

NCP Field



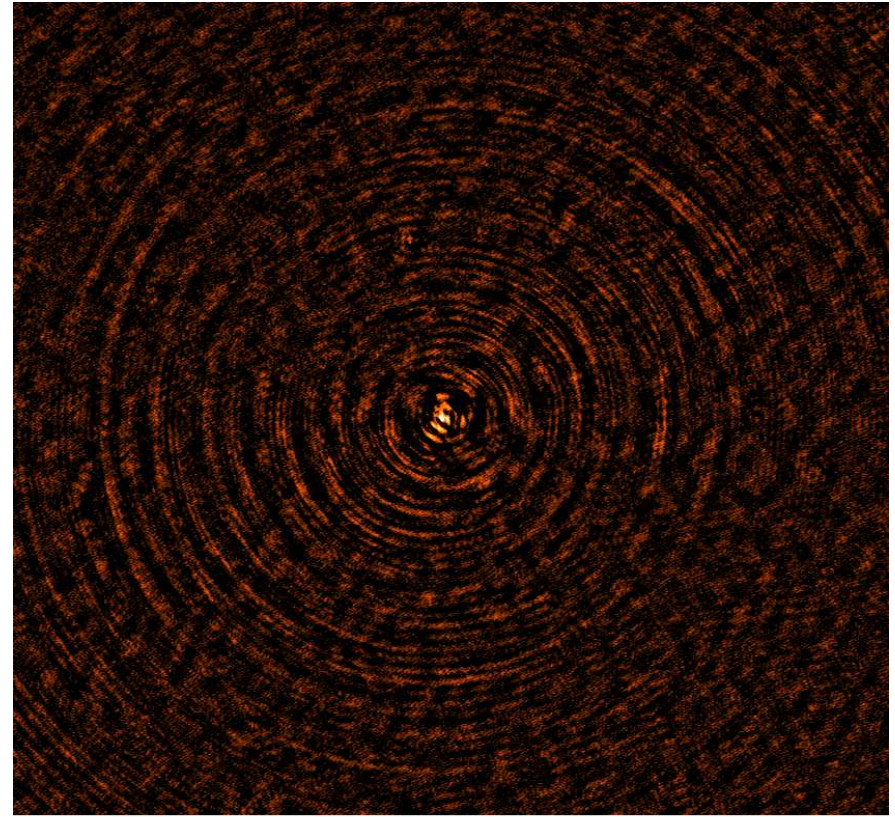
Inner region, Noise 0.2 mJy

Before Sagecal



0 0.005 0.01 0.015 0.02 0.025 0.03 0.035 0.04 0.045

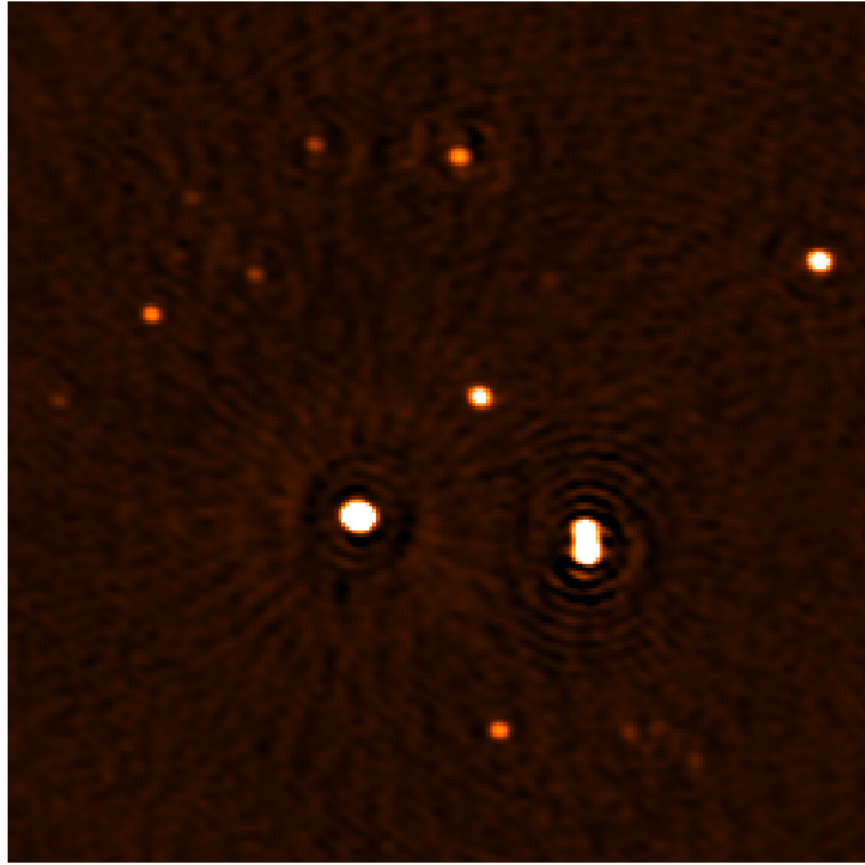
Center



0.0031 0.0072 0.0113 0.0154 0.0195 0.0236 0.0277 0.0318 0.0359

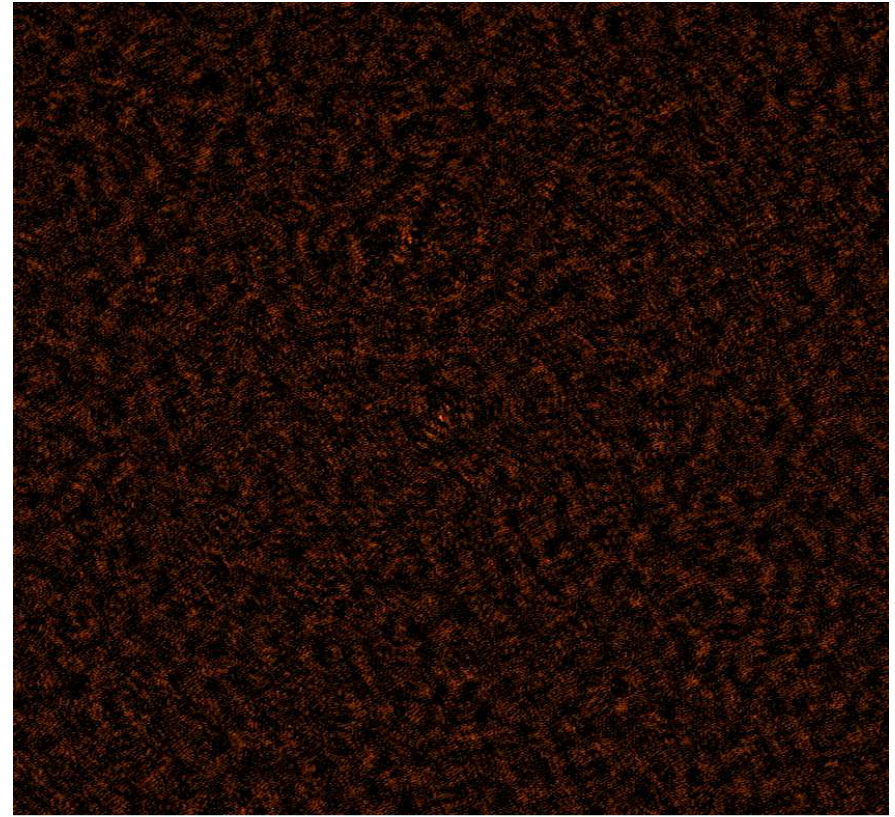
Far Away

After Sagecal



0 0.005 0.01 0.015 0.02 0.025 0.03 0.035 0.04 0.045

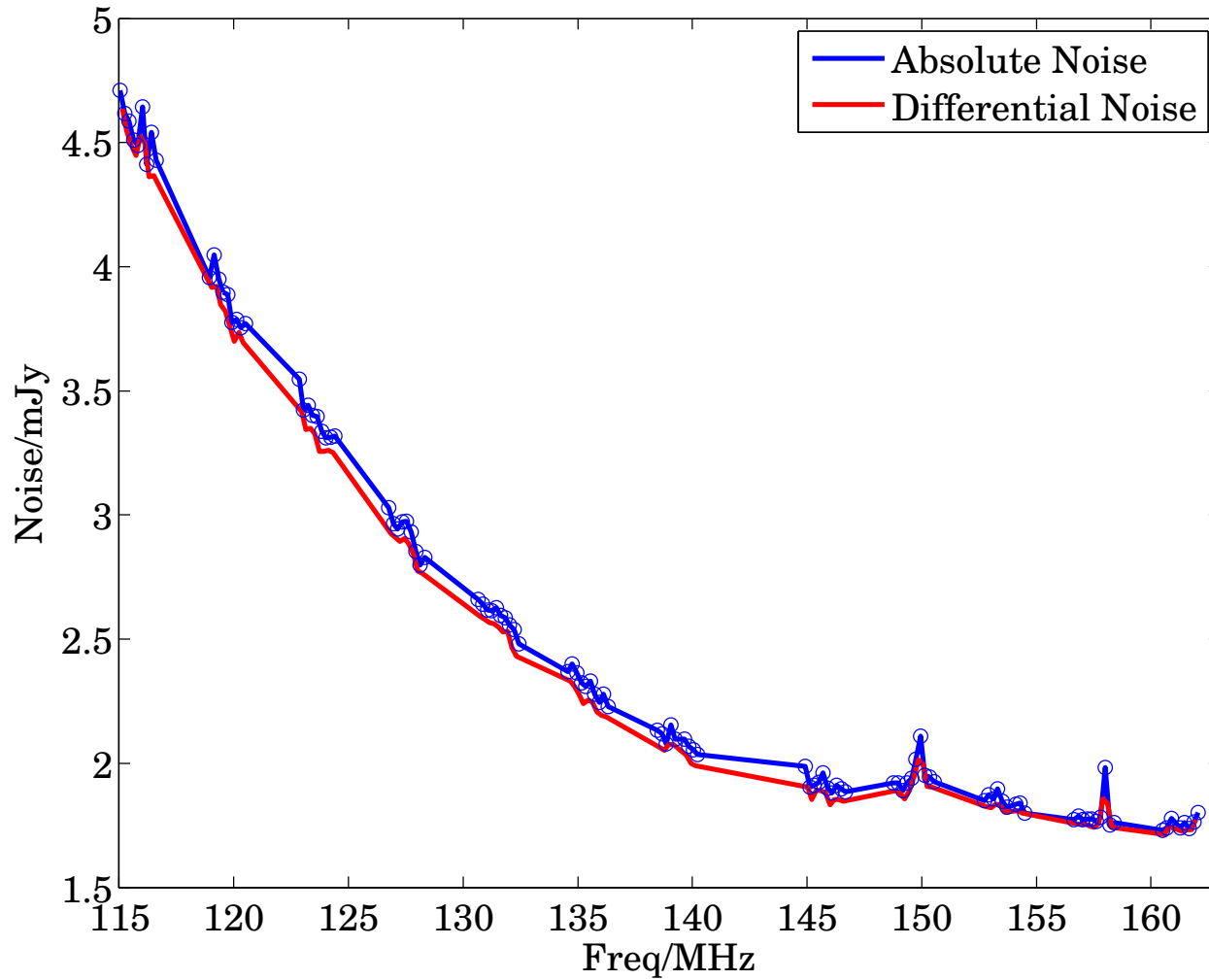
Center



0.0031 0.0072 0.0113 0.0154 0.0195 0.0236 0.0277 0.0318 0.0359

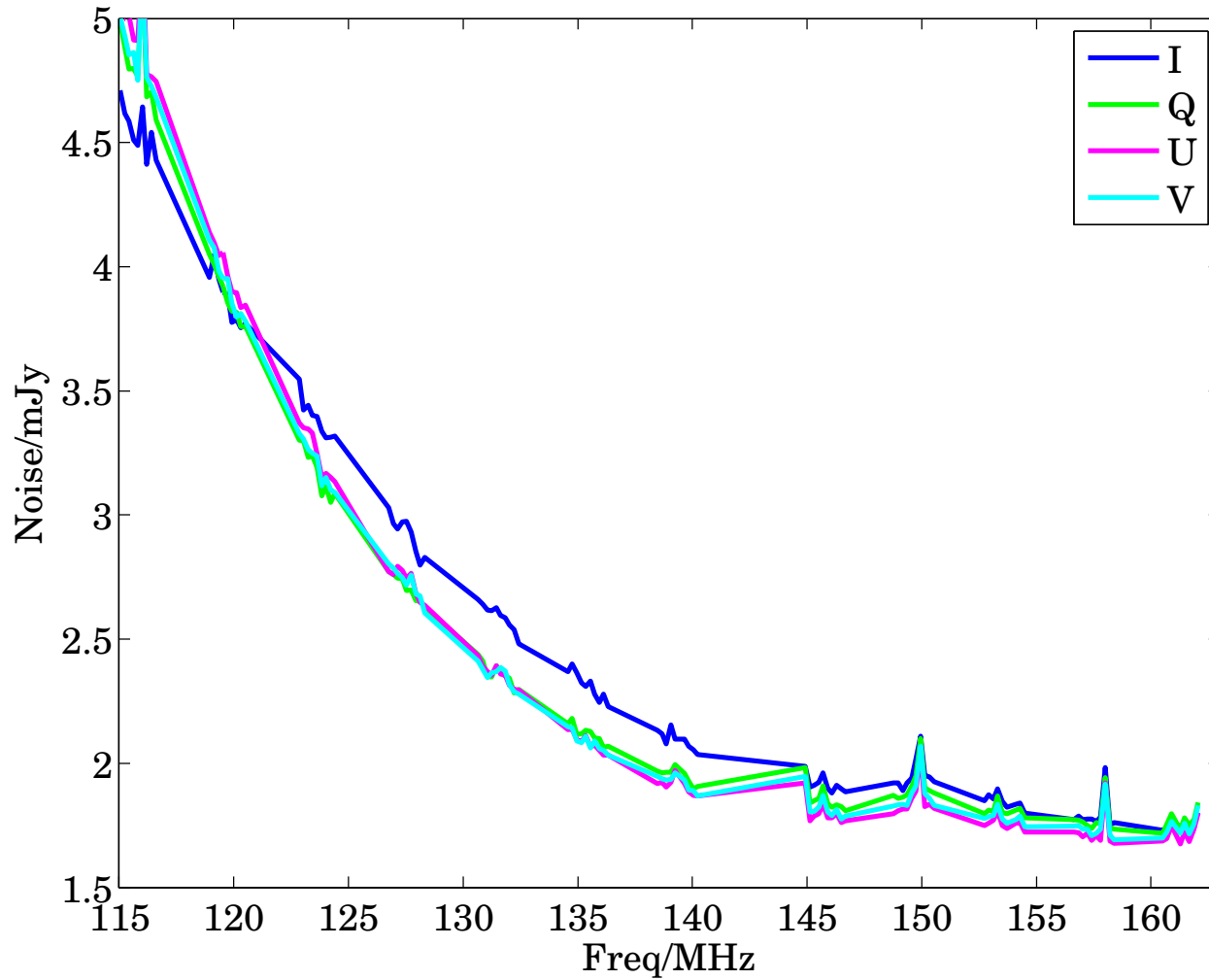
Far Away

Noise



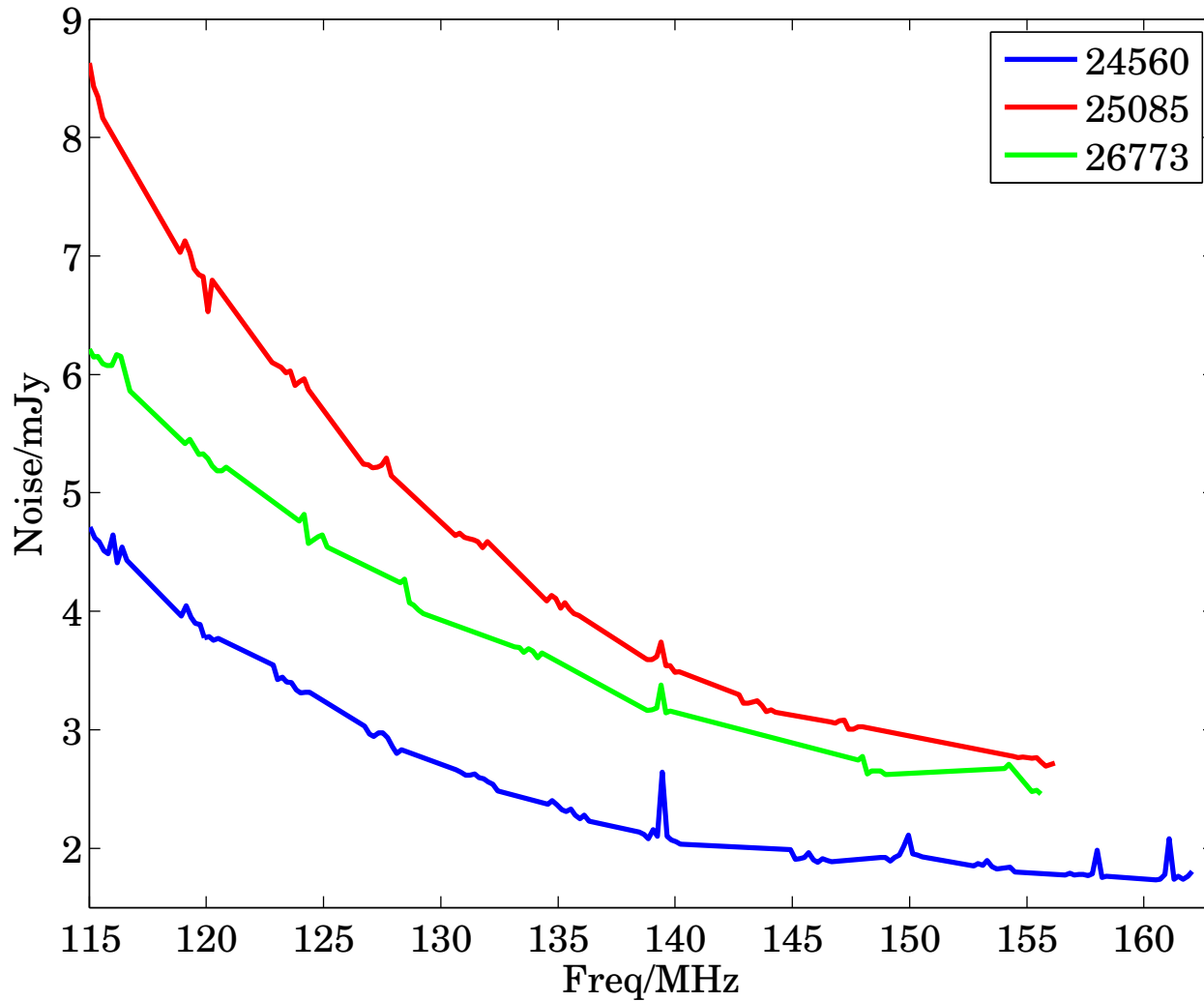
Differential and absolute noise

Noise



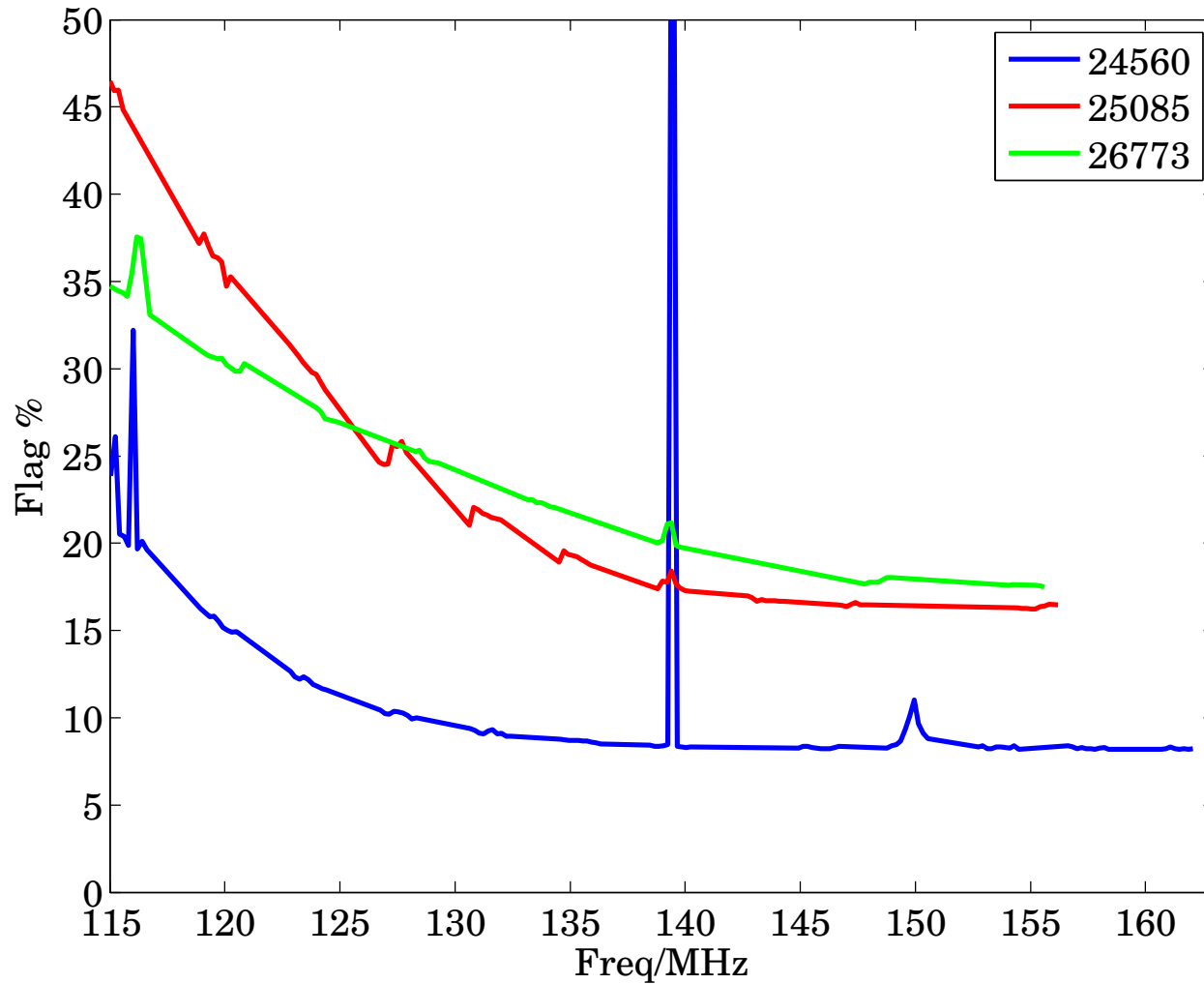
Full polarization

Noise



Three nights data

Flagged Data



Flags in I

Station Beam Model

$$\mathbf{M} = \arg \min_{\mathbf{M}, \mathbf{M}^T \mathbf{M} = \mathbf{I}} \sum_{p,q,m} \|\mathbf{e}_p^T \mathbf{M} \mathbf{b}_{pm} \mathbf{b}_{qm}^T \mathbf{M}^T \mathbf{e}_q \tilde{\mathbf{C}}_{pqm} - \mathbf{J}_{pm} \mathbf{C}_{pqm} \mathbf{J}_{qm}^H\|^2$$

- Solutions of sagecal: $\mathbf{J}_{pm}, \mathbf{J}_{qm}$.
- Basis functions $\mathbf{b}_{pm}, \mathbf{b}_{qm}$.
- Rows of \mathbf{M} give model parameters for each station.
- Orthogonal columns for regularization.
- More detail [Yatawatta et al., in prep.]

Conclusions

- Sagecal and assorted tools provide the fastest way of dealing with directional effects, without losing accuracy.
- LOFAR HBA NCP observations reach the theoretical noise limit. Only known limitations exist.