

LOFAR Observations of Energetic Electrons in the Sun's Atmosphere

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Plasma Emission

corona - fully ionized plasma



local charge separation \rightarrow Langmuir waves

fundamental emission:

 $\omega_{R} = \omega_{L} + \omega_{LF}$ radio Langmuir w. LF plasma waves

harmonic emission:

 $\omega_{R} = \omega_{L} + \omega_{L}$ radio Langmuir w.

 $f_R = nf_{pe}$ n=1: fundamental emission n=2: 1st harmonic emission

$$f_{pe} = \frac{1}{2\pi} \sqrt{\frac{e^2 N_e}{\varepsilon_0 m_e}}$$

plasma frequency



A type III burst is a radio signature of an electron beam initially generated at a flare. It travels along magnetic field lines through the corona and emits radio waves. (Wild et al., 1952)

15

240



Solar Type III Radio Burst Observed with LOFAR I







Solar Type III Burst III



The photospheric magnetic field was extrapolated using the Potential-Field Source-Surface (PFSS) method provided by the SolarSoft program package. *(Schrijver & De Rosa, 2003)*

LOFAR confirms that type III bursts are generated by electron beams propagating along (closed) magnetic field lines.



Solar Type III Bursts IV

path-time behaviour of the radio source



 $s = a t^2$ with a = 10.5 Mm/s²



Beam Plasma Interaction I

velocity distribution function: $f = f_{background} + f_{beam}$

at t = 0:
$$f_{beam} \sim e^{-(V-V_b)^2/2v_{th,b}^2} x e^{-s^2/2d^2}$$

 V_b = beam velocity $v_{th, b}$ = width of the beam d = acceleration length

spatio-temporal evolution:

$$0 = \frac{\partial f}{\partial t} + V \frac{\partial f}{\partial s} \quad \Rightarrow \quad f(V, s, t) = f(V, s - Vt, t = 0)$$

$$f_{beam} \sim e^{-(V-V_b)^2/2v_{th,b}^2} x e^{-(s-Vt)^2/2d^2}$$



Beam Plasma Interaction II





Beam Plasma Interaction III

how
$$u_b = 0$$
:
 $ξ_0(τ) = u^2 \frac{(1 + τ^2)}{τ}$

It has a minimum at $\,\tau_{min}$ = 1 and $\,\xi_{min}$ = $\xi_0(\tau$ = 1) = 2u

$$\Delta \xi = \xi_0(\tau) - \xi_{\min} = u \frac{(\tau - 1)^2}{\tau}$$

If the highly energetic electrons establish a broad distribution, then ξ_0 (τ) behaves near ξ_{min} as a parabolic function as observed by LOFAR.

Furthermore

$$\mathsf{E}(\mathsf{u}) = (1+\tau^2) \left[\mathsf{u} - \frac{\xi\tau}{(1+\tau^2)} \right]^2 + \frac{\xi^2}{(1+\tau^2)} \qquad \text{at } \mathsf{u} = \mathsf{u}_{\text{beam}} \qquad \mathsf{E}(\mathsf{u}) = \mathsf{u}_{\text{beam}}^2 \cdot \frac{(1+\tau^2)}{\tau^2}$$

Owing to the spatio-temporal evolution a beam like distribution is established with

a beam velocity $u_{beam} = \frac{\xi \tau}{(1 + \tau^2)}$ and a width $\frac{1}{\sqrt{1 + \tau^2}}$



Discussion

with $\tau = 1 + \Delta \tau$ $\Delta \xi = u \frac{(\Delta \tau)^2}{(1 + \Delta \tau)}$ $s = V \frac{V th, b}{d} \cdot t^2$ $a = V \frac{V th, b}{d}$

identifying t = 5.71 with τ = 0.6 then: v_{th,b}/d = 0.12 s⁻¹ and V = 100 Mm/s = c/3





Conclusions

In the framework of LOFAR's commissioning phase, we demonstrated:

- The solar imaging pipeline works well.
- LOFAR can really work as a *dynamic spectroscopic radio imager* of the Sun
 (→ LOFAR opens a new window, indeed.)
- LOFAR confirms, that solar type III radio bursts are really generated by beams of energetic electrons travelling along magnetic field lines. (see also *Klein et al. 2008*)
- Solar type III radio bursts are generated by a broad electron distribution and **not** by an pure electron beam.



Thank you for your attention!



This work was done in collaboration with the solar KSP and LOFAR/ASTRON team