## Calibrating LBA

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## Let's start with PHASES

## Circular polarization

Ionosphere delay and FR are diagonal and phase only

$$
\mathbf{J}=\left[\begin{array}{cc}
e^{j(\theta+\varphi)} & 0 \\
0 & e^{j(\theta-\varphi)}
\end{array}\right]=\left[\begin{array}{cc}
e^{j \phi_{R}} & 0 \\
0 & e^{j \phi_{L}}
\end{array}\right]
$$

We can reconstruct two terms

$$
\begin{aligned}
\Delta \theta & =\left(\Delta \phi_{R}+\Delta \phi_{L}\right) / 2 \\
\Delta \varphi & =\left(\Delta \phi_{R}-\Delta \phi_{L}\right) / 2
\end{aligned}
$$

Delays $\longrightarrow \Delta \theta=2 \pi f \Delta t+8.44797245 \times 10^{9} \Delta T E C / f$
Faraday rotation $\longrightarrow \Delta \varphi=\Delta R M \lambda^{2}$.





Rotation Measure
(LosoTo" "tarady" pepation)


## Clock/TEC separation

(LoSoTo"clocktec" operation)

|  |  |  |  |  | SoTo "clockte | tec" operat | ation) |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Clock |  |  |  | - | - |  |  |  |  |
|  |  |  |  |  |  |  |  | TE | C |  |  |
|  |  |  |  |  |  | - |  |  |  |  |  |
|  |  |  |  |  |  | - |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  | mman |  | - | $=$ | nmins |
|  |  |  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  | - | m | mins |  | mm | mam |







## Higher orders

> I order II order III order $\iota \approx \frac{\kappa}{c \nu^{2}} \int_{0}^{d} n_{\mathrm{e}}(x) \mathrm{d} x .+\frac{3 \kappa^{2}}{2 c \nu^{4}} \int_{0}^{d} n_{\mathrm{e}}^{2}(x) \mathrm{d} x .+\frac{5 \kappa^{3}}{2 c \nu^{6}} \int_{0}^{d} n_{\mathrm{e}}^{3}(x) \mathrm{d} x .+\cdots$.


## What about AMMPLITUDES?

## Amplitudes






## $=50$

$\vdots$
$\dot{\underline{B}}$
$\dot{\square}$


|  |  | Amplitudes |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| : | : | \% |  | \% |  |
| \% | : | \# | \# | \# | \% |
| : | : | : | \# | \% | \% |
| \% | : | \# | \# | E | 2 |
| \# | I | \# | \% | $\underline{5}$ |  |
| $\underline{\square}$ | E | \% | $\underline{\square}$ | : | = |



