

# Element and array beam pattern measurements by an UAV system

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- Description of the UAV Hexacopter
- Isolated and Embedded Antenna Pattern Measurements
- Array Instrumental Calibration
- Array Beam Measurement
- Possible extension to AAMID





Unmanned Aerial Vehicle (UAV) is an aircraft without a human pilot aboard, which flight is controlled by onboard computer or by a remote control



#### Unmanned Aerial Vehicle - 2



Our UAV is a hexacopter (Mikrokopter KGPS v1.0) is a custom product based on commercial components, with engines and some electronic parts modified.

**DUARE KILOMETRE ARRA** 

The hexacopter has been equipped with a continuous wave TX (RF generator + Antenna) having the following specs:

- Frequency range from 5 MHz to 4.4 GHz (tested from 70 to 450 MHz)
- Minimum resolution 2.5 kHz
- Tx power 8 dBm (5 dBm with freq. divider)
- Linear polarization

## Unmanned Aerial Vehicle – 3



## The UAV is a fully controlled artificial source in far-field able to perform measurements of antennas and arrays in real operative conditions

The hexacopter has further advantages:

- low cost (< 2500 €)
- transportability
- no runways are required
- vertical and standing flight are allowed

and some limitations:

- flight time limited to 5 15 mins
- maximum height ~150 m
- no autonomous Take Off / Landing



#### The measurement setup







#### Aerial Array Topography

#### The UAV is a very flexible, multipurpose and modular system

The Hexacopter can be equipped with a High-Res photo-camera



Optical markers placed on the antennas allow to reach sub-cm accuracy in the position measurement



 Antenna positioning / orientating

SQUARE KILOMETRE ARRA

 Array maintenance (antenna displacement or structure damages)

#### UAV trajectory measurement



In order to define the absolute position of the UAV vs. time, a topographic tracking has been

performed using a motorized total station (MTS). It was possible thanks to a retro-reflector

installed on the bottom part of the UAV.





The UAV position is determined by the MTS at about 5 Hz rate

Performances of the MTS within 1 km of operative distance:

- Angular resolution: 1 arcsec
- Range accuracy: 3 mm



## UAV position by differential GPS



Maximum error is 2-3 cm



#### The Total Station is no longer necessary



Through two scans, it is possibile measuring both co- and cross-polar pattern of a dual polarized antenna in two main planes.

## (Isolated) Antenna Pattern SKALA





• Simulations on SKALA over "Soil C" carried out with CST MS and FEKO

#### Location and Environment



The SKALA has been measured in 4 h. Measurements consist of:

 Co-polar and cross-polar patterns

SQUARE KILOMETRE ARRAY

- E-plane and H-plane
- 4 frequencies:70, 150, 300, 450 MHz.
- With and w/o metallic mesh

Distance from the Northern Cross and the Power Line is about 100 m

#### Antenna B: Quasi E-plane cut at 450 MHz



**De-embedded Measurements** 



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#### Antenna A: Quasi E-plane cut at 450 MHz



#### **De-embedded Measurements**



#### Spin Flight at 70 MHz





At this frequency the two antenna polarization planes are not perfectly aligned

#### Embedded Element Pattern (inside the array)



The antenna pattern can be significantly influenced by the local environment conditions (coax cables, proximity of large metallic structures and power lines, ground, ...)

But inside the array the things are more complicated.

The Mutual coupling between antennas affects the antenna pattern depending also on the

- Array configuration
- Antenna position within the array

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#### Medicina Array Demonstrator (MAD) Array Configuration



MAD is a 3 x 3 regularly spaced antenna array, arranged in a rhomboidal configuration positioned at the same location of the SKALA test









Exploring the Universe with the world's largest radio telescope

## Central Embedded Element Pattern @ 408 MHz





#### Embedded 1 - 4 Element Patterns





No De-Embedding has been performed

#### Amplitude coefficient calibration



The amplitude of each complex coefficient was calculated by an algorithm based on the matching between the signal power ratios observed and simulated. The procedure takes into account:

- antenna pattern for each array element obtained by e.m. simulations \_
- UAV trajectory
- Transmitting antenna pattern (from anechoic chamber measurements)



#### Phase coefficient calibration



The phase coefficients were determined by means of a multiparametric fitting between simulated and observed fringe patterns.

For each polarization, fringes were obtained cross correlating the signals from an appropriate subset of (N-1) baselines, among a total number of independent baselines of N(N-1)/2, where N is the number of the array elements



#### Cross correlations before the phase calibration





	ID	correction [deg]
J.	V001	109.26
	V002	148.68
6E-009 8E-009	V003	140.98
	V004	270.49
	V005	8.11
	V006	215.07
e antenna	V007	0.00
	V008	353.91
Exploring the Univers	V009	332.95
		-





#### **Before calibration**







#### MAD Array Beam Radiation Pattern





#### AAMID – embedded patterns



These techniques developed in SKA-Lo could be transferred to SKA-Mid



Embedded patterns for the antenna element up to a maximum sized sub-arrays (tile, tileset, ...) can be measured by UAV in FF conditions

#### AAMID Station beam - 1



Station Diameter: 56 m

**Operative Frequency:** 

450 MHz – 1450 MHz





Due to the too high distance necessary to operate in FF, the UAV-based AAMID Station Beam measurement is not feasible

#### However...

#### AAMID Station beam - 2



 $D_{max}(450 MHz) \cong 7 m$  $D_{max}(1450 MHz) \cong 4 m$ 

The beam Station could be obtained from the sub-arrays embedded patterns and their relative phases measured in FF by UAV

$$P_{beam}(\theta,\varphi) = \left| \sum_{k=1}^{N} w_k \sqrt{P_k(\theta,\varphi)} \, e^{-i\phi_k} \right|^2$$



 $P_{beam}(\theta, \varphi) =$  station beam pattern  $P_k(\theta, \varphi) =$  beam pattern of  $k_{th}$  sub – array

## Future works / improvements

- Implement of the differential GPS aboard UAV (ongoing)
- Third test campaign on the MAD Array (19 23 May)
- Repeat SKALA measurements (next 14 April)
  - in a more suitable field (without scatterers)
  - with optical fibers instead of copper cables
- Test the new improved SKALA antenna (isolated and in array)
- Verify the Inertial Measurement Unit (IMU) i.e. compass, roll, pitch
- Automate take-off and landing
- Test UAV on larger arrays LFAA (i.e. AAVS1)
- Acquire/Assemble an UAV dedicated to radio astronomy
- ...

#### Conclusion



- It has been demonstrated that UAV system allows to operate on antennas and arrays in their real operative condition for:
  - Isolated and embedded antenna pattern measurement
  - Array topography
  - Instrumental array calibration
  - Array beam pattern measurement
- UAV-based techniques could be transferred to AAMID for what concern the measurement of antenna / tile embedded radiation patterns
- The AAMID array beam pattern (at level station) cannot be directly determined, but it can be calculated from the measured sub-array embedded patterns





## **Thanks for your attention**

#### References

[1] G. Virone et al. - "Antenna Pattern Verification System Based on a Micro Unmanned Aerial Vehicle (UAV)", IEEE, Antennas and Wireless Propagation Letters, vol. 13

[2] F. Chiabrando et al. – "Direct Photogrammetry Using UAV: Tests and First Results" - ISPRS Archives, vol. XL

[3] G. Virone et al. – "UAV-based Radiation Pattern Verification for a Small Low-Frequency Array" – IEEE International Symposium on Antennas and Propagation, USNC-URSI National Radio Science Meeting 2014, Jul 6-12, Memphis, USA.

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#### Appendix



#### **Description of the Simulation**



- Full-wave Simulation of the TX antenna
- Full-wave Simulation of the AUT
- Combination of the data using the Friis equation

$$P_{avail} = P_{in} \frac{G_{TX} G_{RX}}{\left(\frac{4\pi R}{\lambda}\right)^2} \left| \hat{\mathbf{p}}_{TX} \cdot \hat{\mathbf{p}}_{RX} \right|^2$$

Polarization vectors