

Lessons from dipole arrays: what is relevant for dense aperture arrays?

Gianni Bernardi

SKA SA & Rhodes University

Credits/acknowledgements: (Griffin Foster, MWA collaboration, PAPER team, Radio Astronomy Research Group @ SKA SA)

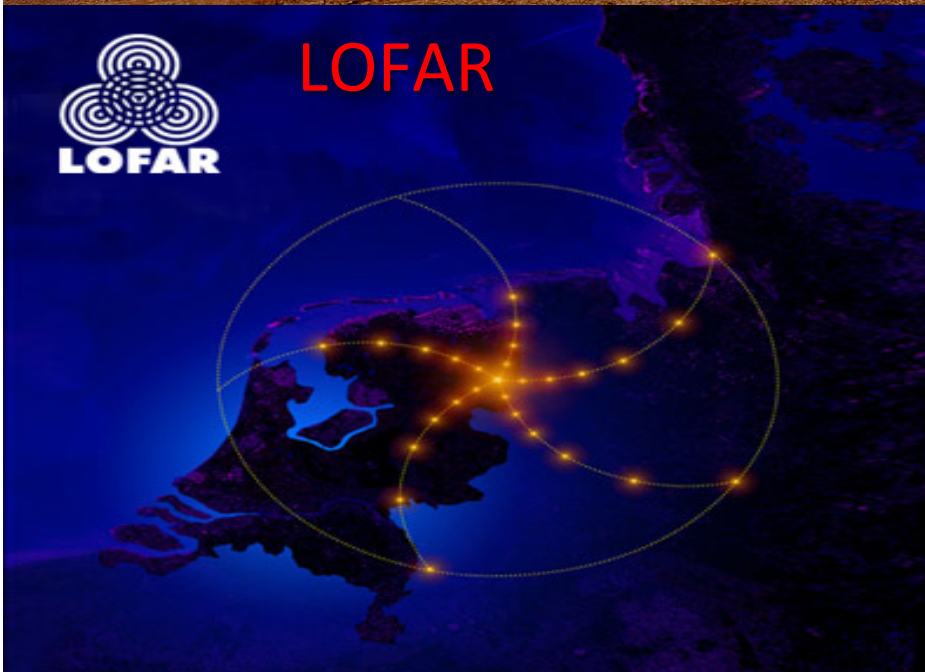
Renaissance of low frequency radio astronomy



LWA



PAPER



LOFAR

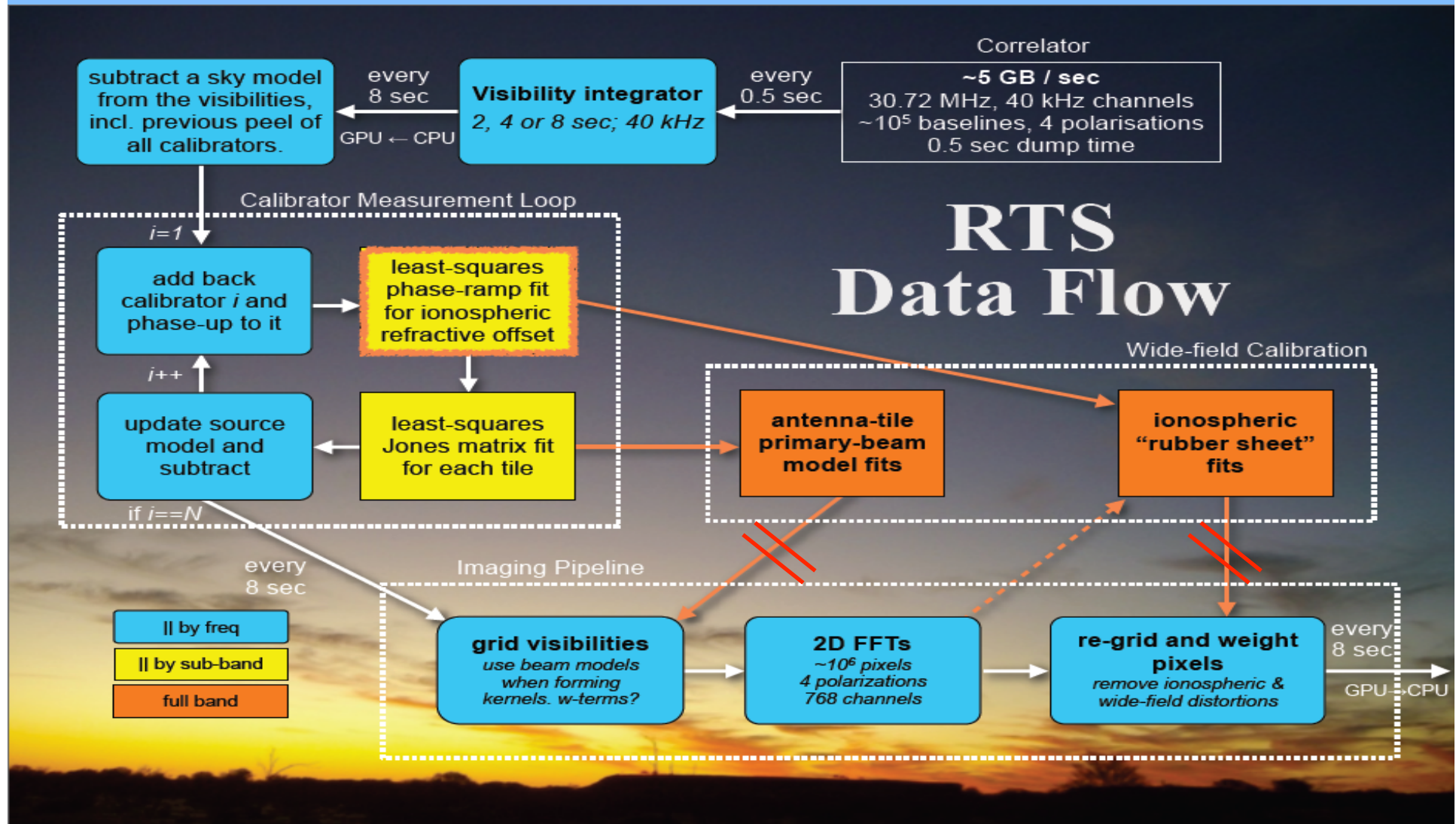


MWA

Relevant issues at low frequencies

- Wide fields of view: hard to isolate a strong, unresolved point source as a calibrator source;
- Wide fields of view: no single phase solution across the field? Certainly not for long baselines due to the ionosphere;
- Wide fields of view: 3D imaging (computational burden);
- Dipoles often clustered in tiles/stations to increase gain directivity: time and frequency variable station → no such a concept as “observing a calibration source” particularly if the beam forming is analogue;
- Ionospheric modeling required to fix phase corruptions across the field of view (only for long baselines?);
- Correction for dipole projections for each pixel in the image (at each time and frequency) required for full polarimetry;
- Most of the aforementioned effects generate a spatially and time variable PSF: burden on deconvolution;

MWA calibration/imaging: co-addition of warped snapshots



Warped snapshot imaging

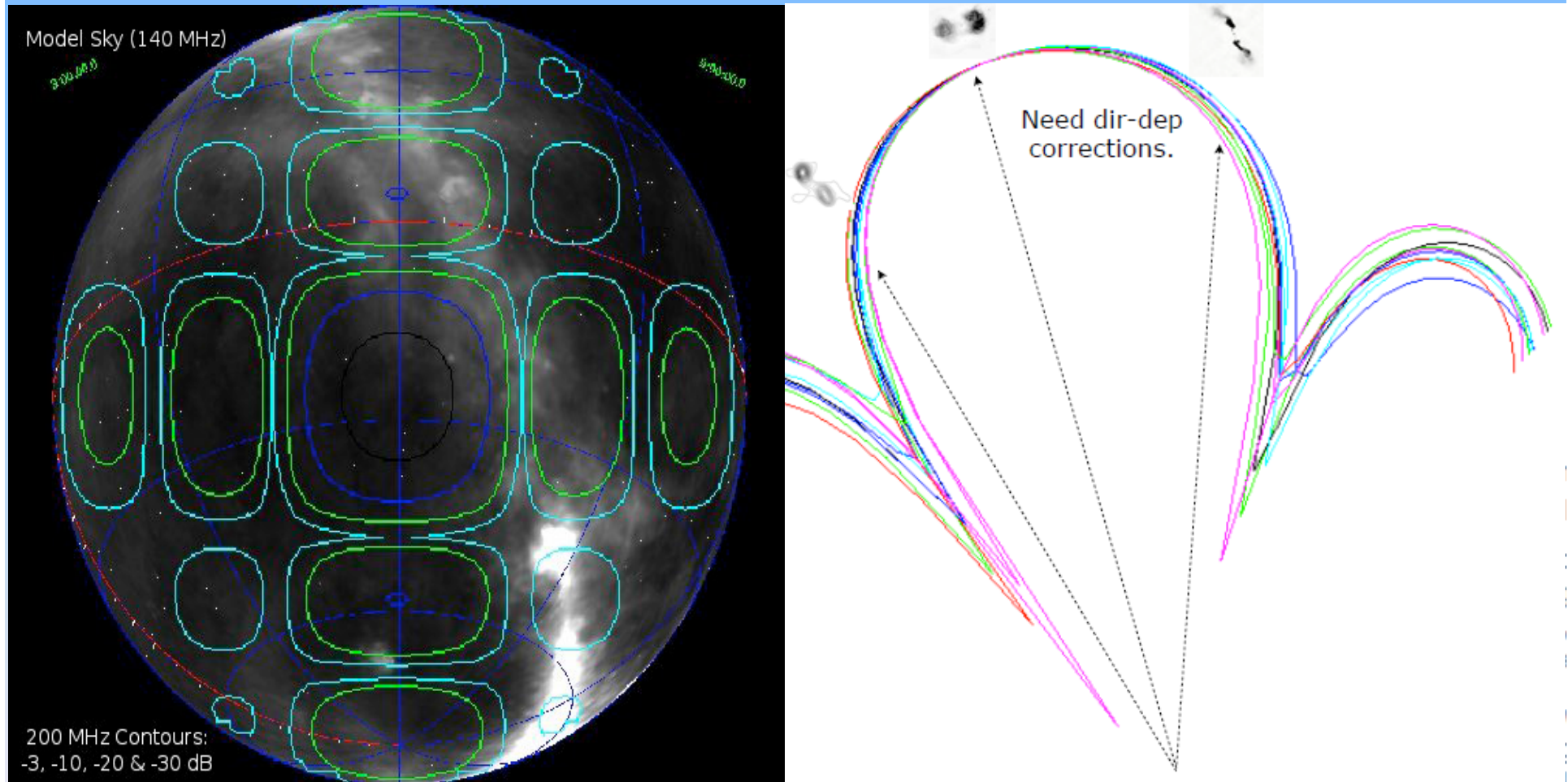
(see Griffin Foster's talk for an application to PAPER)

- Imaging with dipole arrays is always mosaicing;
- The array can be considered instantaneously co-planar → 2D FFT
- Resample to a common reference frame (Healpix) → correction for a ionospheric refraction screen and wide field polarization simultaneously;
- Time integration happens co-adding snapshot images:

$$b \downarrow_{HPX} \uparrow S = [(J \downarrow_{pix} \otimes J \downarrow_{pixx}) \uparrow \dagger (J \downarrow_{pix} \otimes J \downarrow_{pix})] \uparrow^{-1} (J \downarrow_{pix} \otimes J \downarrow_{pix} \uparrow^*) \uparrow \dagger (J \downarrow_{pix} \otimes J \downarrow_{pix} \uparrow^*) S b \downarrow_{HPX} \uparrow S$$

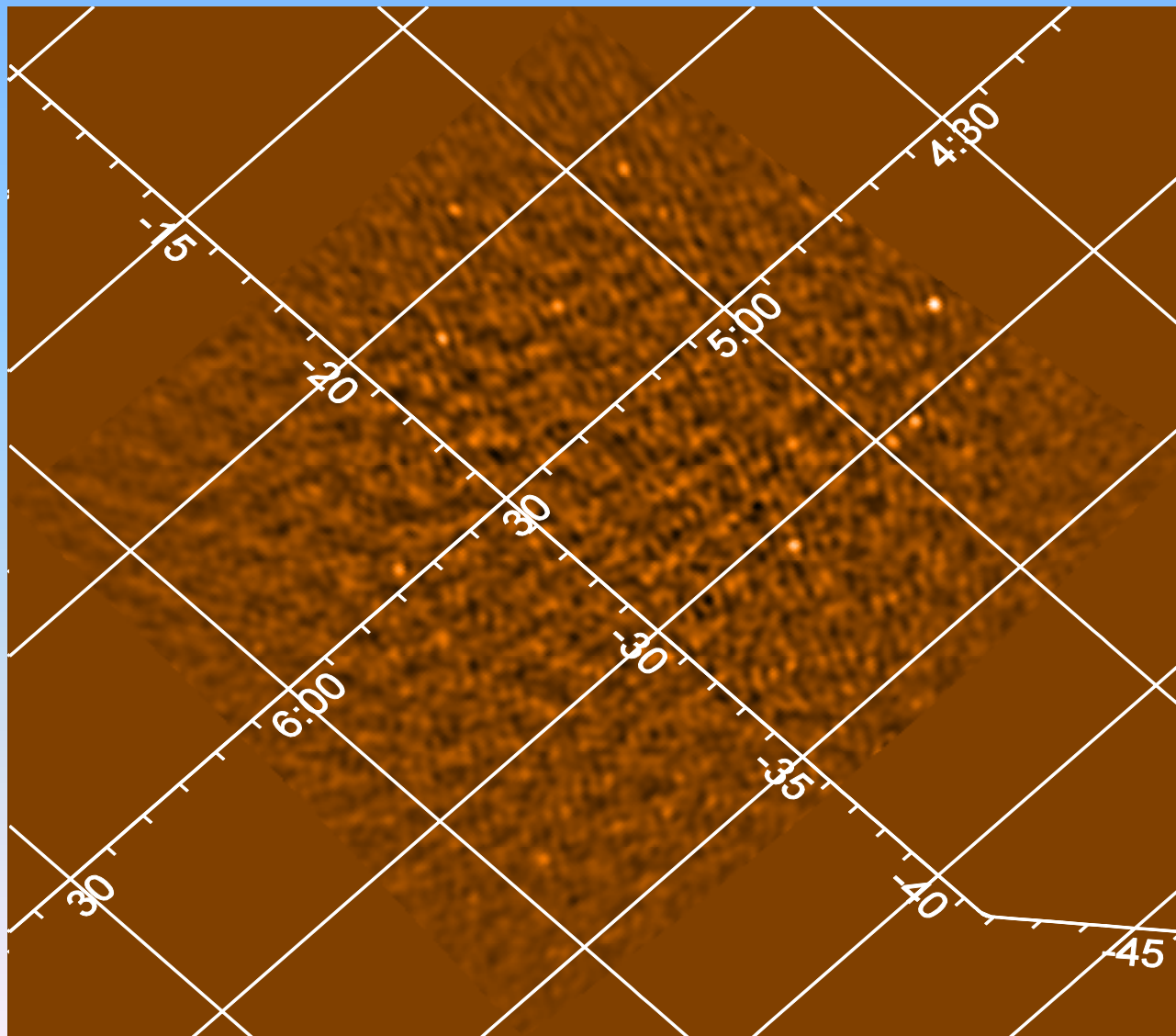
- Long integrations are easily parallelizable in time and frequency;

MWA primary beams

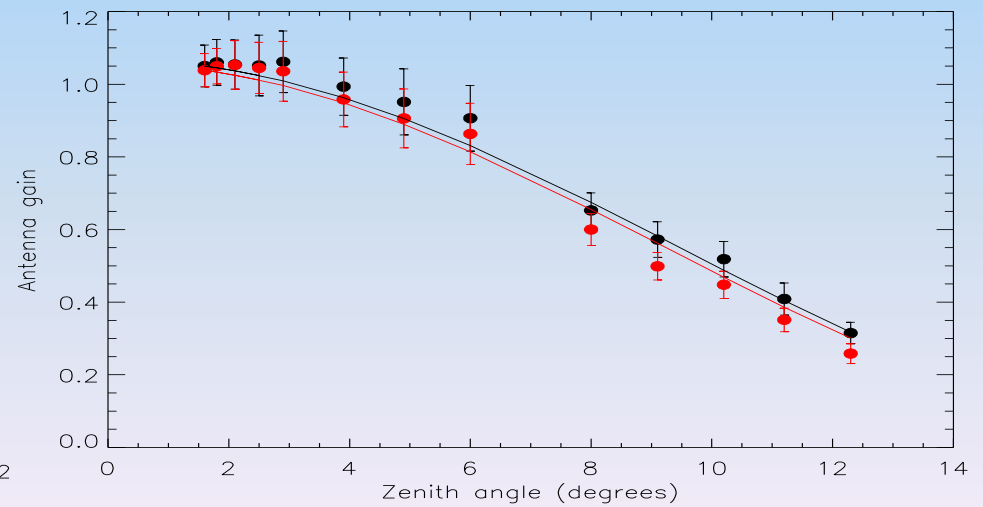
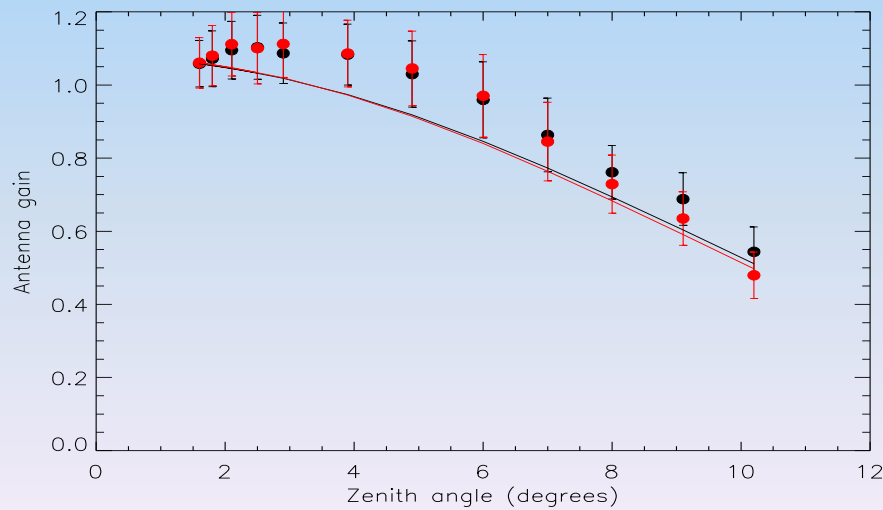
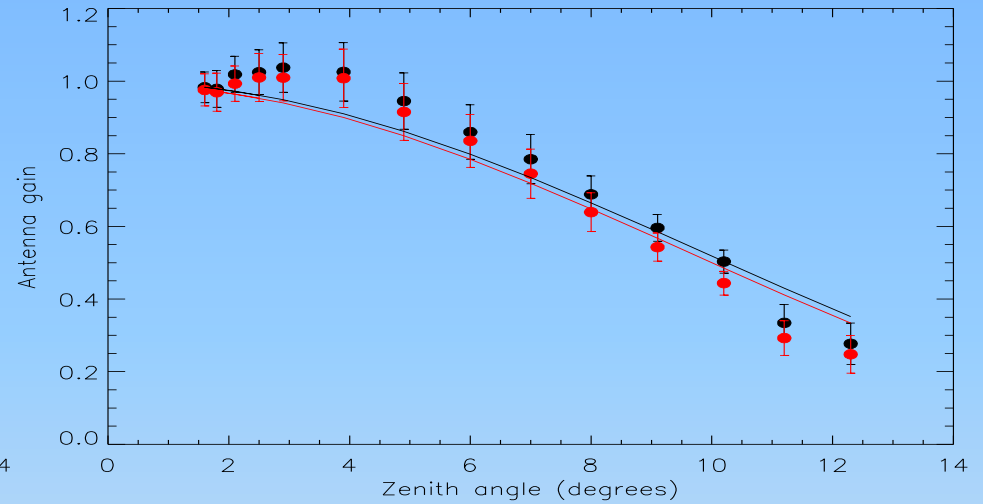
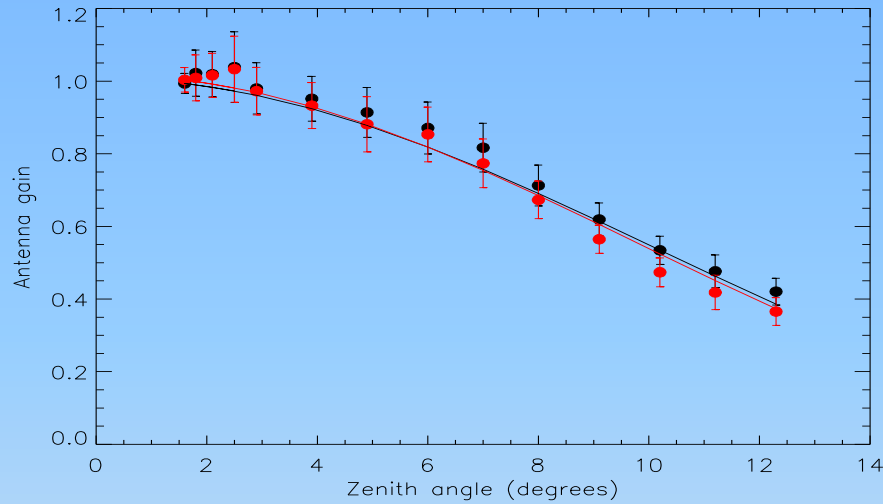


There are methods to grid and image the data using different element beam patterns (Bhatnagar 2008, Morales & Matejek 2009, Mitchell, Wayth, GB et al. 2012, Tasse et al. 2013)... knowing the input beam patterns precisely is still a challenge to date!

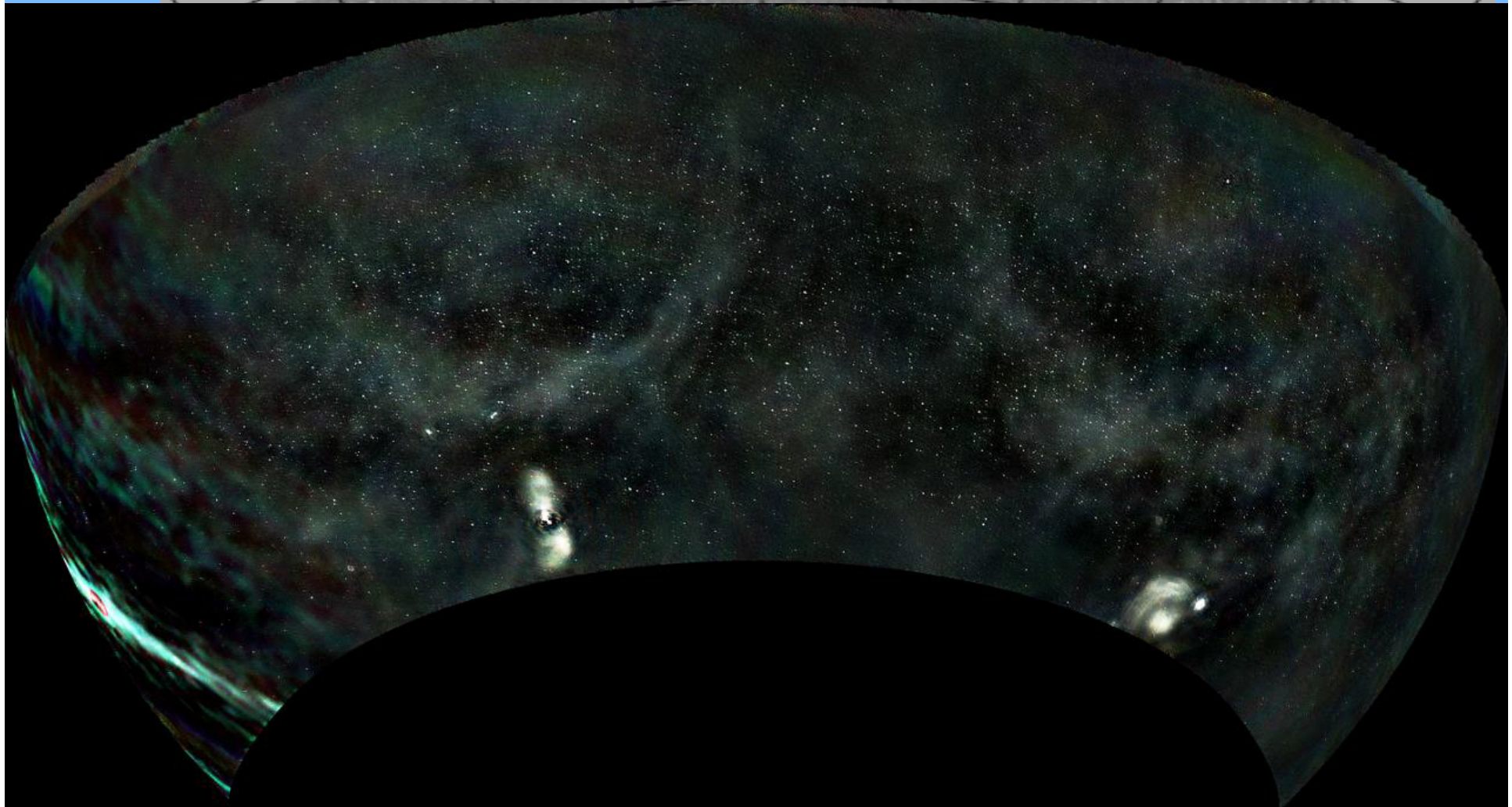
Keep the element beam stable in time: turn it into a transit instrument



Constraining a beam model with drift scans



Stokes I



-30°

5^h 4^h 3^h 2^h 1^h 0^h
α

courtesy A. Offringa

0.10 Jy beam⁻¹ 22^h -1
GB et al. 2013

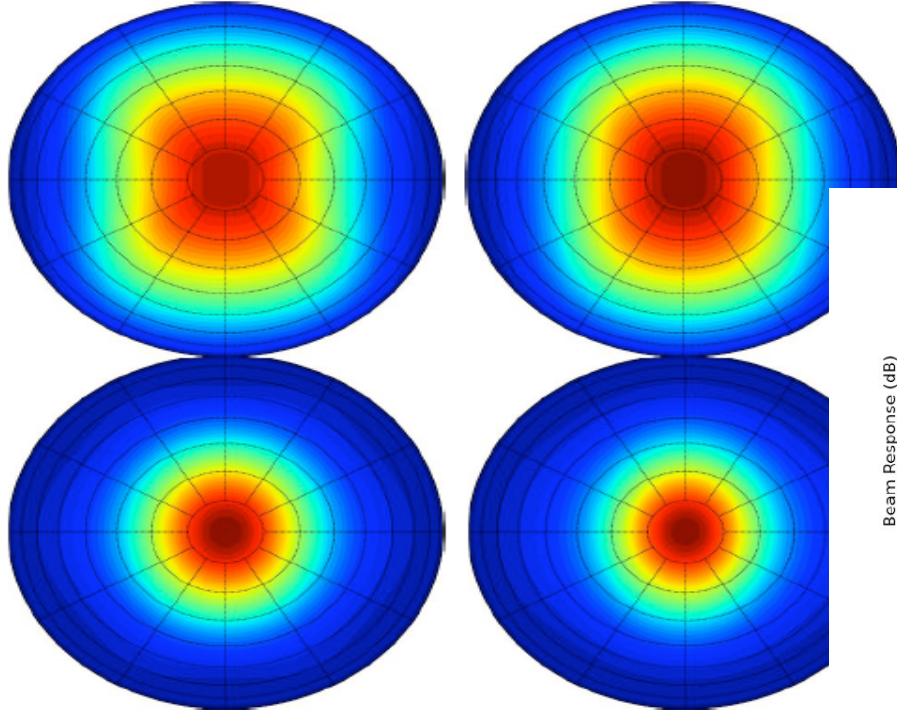
Easier problem for individual, non-tracking dipoles (i.e. PAPER)

Modeling Beam of Dipole + Flaps

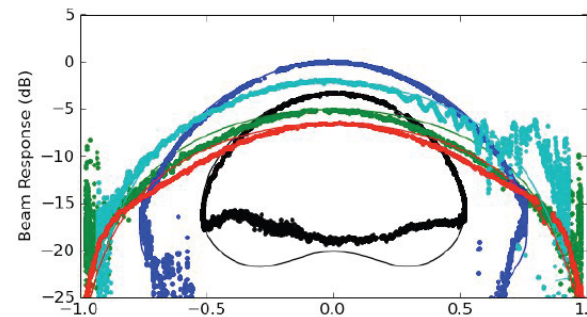
138 MHz

156 MHz

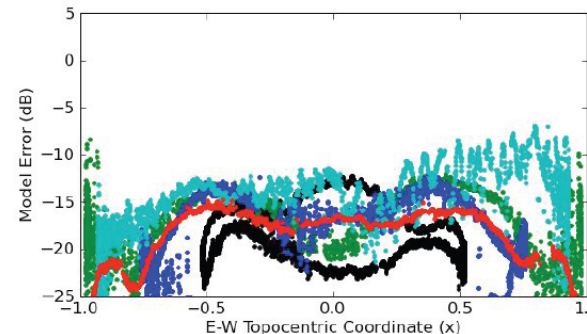
174 MHz



Model Beam vs. Source Strengths



Black: response toward Cas A
 Blue: response toward Cyg A
 Cyan: response toward Tau A
 Green: response toward Vir A
 Red: response toward Sun



$$a_\nu(\hat{s}) = \sum_{k=0}^7 \nu^k \left[\sum_{\ell=0}^8 \sum_{m=0}^{\ell} a_{\ell m}(k) Y_{\ell m} \right]$$

40dB zenith to horizon, 60 degree FWH
 Smooth spatially and vs. frequency

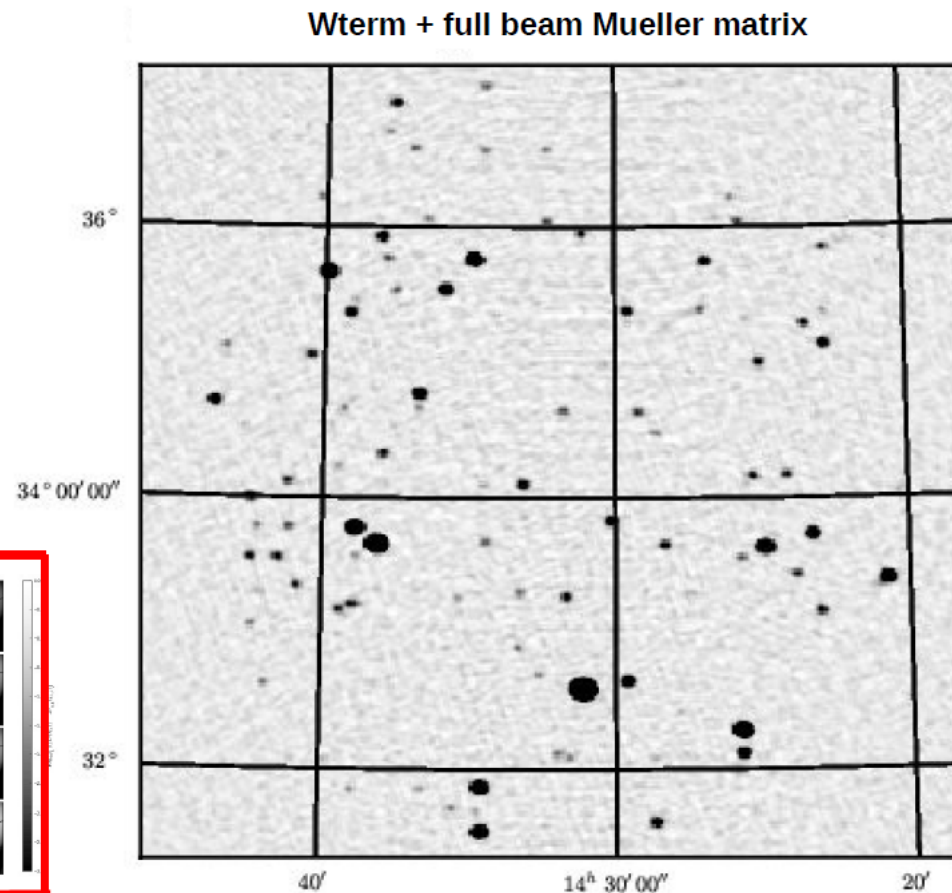
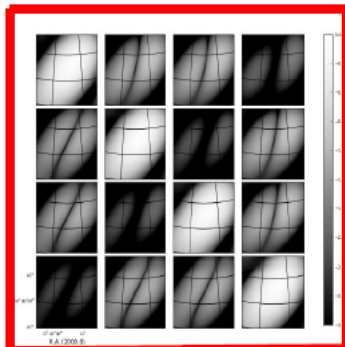
Deconvolution

- V
- C
- A

Tests on simulated data

methods (Hogbom, variant PSF);

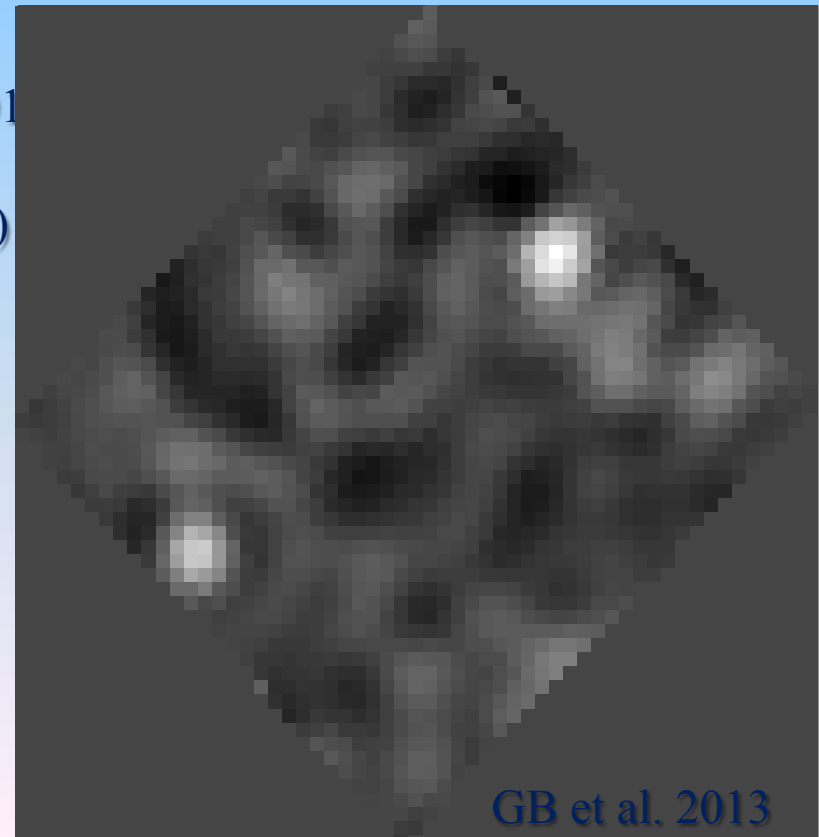
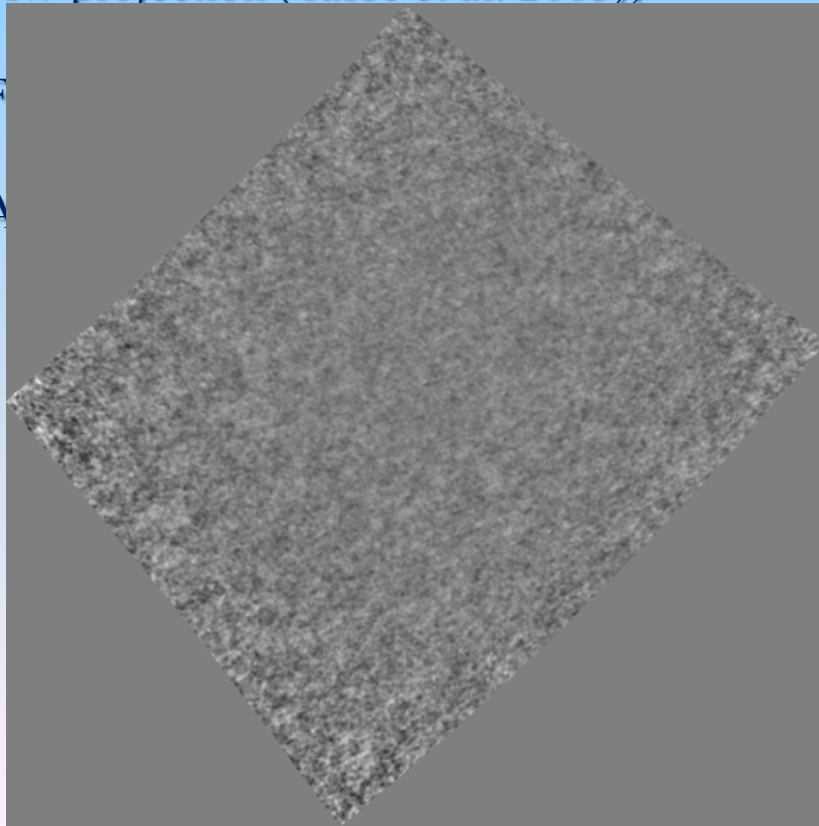
100 sources with flux density following NVSS 1.4 GHz source counts



courtesy C. Tasse

Deconvolution

- When the complex gains change across the FoV, traditional deconvolution methods (Hogbom, Clark, Cotton-Schwab etc...) no longer apply (they assume a spatially invariant PSF);
- AW projection (Tasse et al. 2013);



- F
- A

al. 201
2011)

GB et al. 2013

Deconvolution

- When the complex gains change across the FoV, traditional deconvolution methods (Hogbom, Clark, Cotton-Schwab etc...) no longer apply (they assume a spatially invariant PSF);
- AW projection (Tasse et al. 2013);
- Fast holographic deconvolution (Sullivan et al. 2013) – image based deconvolution;
- Algebraic forward modeling (Bernardi et al. 2011) – image based deconvolution;
- All the methods are slow and computationally expensive... are there fast, efficient and accurate ways to deconvolve all sky images (including diffuse emission)?

From dipole arrays to MFAAs

- They share very similar (same?) problems → a lot of what was developed for low frequency arrays will be applicable to MFAAs;
- It is best to optimize the array design based on your science goals... but science and technology should meet;
- Cosmology with MFAAs:
 - very short baselines (to detect large scale structure);
 - large fields of view;
 - extremely accurate calibration for foreground subtraction;
 - no station beamforming, just single element (PAPER) → accurate beam modeling, beam stability, no W-term in imaging (or AW projection);
 - beam constraints from point sources and components of sky sources;
 - lighter deconvolution algorithms with a denser uv-coverage;
- HI spectral line imaging:
 - long baselines;
- Pulsars and transients:
 - digital beamforming + all sky monitoring (forget about problems in imaging and calibration);

THANK YOU